

# BotGrep: Finding P2P Bots with Structured Graph Analysis

Shishir Nagaraja, Prateek Mittal, Chi-Yao Hong, Matthew Caesar, Nikita Borisov  
University of Illinois at Urbana-Champaign  
{sn275, mittal2, hong78, caesar, nikita}@illinois.edu

## Abstract

A key feature that distinguishes modern botnets from earlier counterparts is their increasing use of structured overlay topologies. This lets them carry out sophisticated coordinated activities while being resilient to churn, but it can also be used as a point of detection. In this work, we devise techniques to localize botnet members based on the unique communication patterns arising from their overlay topologies used for command and control. Experimental results on synthetic topologies embedded within Internet traffic traces from an ISP's backbone network indicate that our techniques (i) can localize the majority of bots with low false positive rate, and (ii) are resilient to incomplete visibility arising from partial deployment of monitoring systems and measurement inaccuracies from dynamics of background traffic.

## 1 Introduction

Malware is an extremely serious threat to modern networks. In recent years, a new form of general-purpose malware known as *bots* has arisen. Bots are unique in that they collectively maintain communication structures across nodes to resiliently distribute commands from a *command and control* (C&C) node. The ability to coordinate and upload new commands to bots gives the botnet owner vast power when performing criminal activities, including the ability to orchestrate surveillance attacks, perform DDoS extortion, sending spam for pay, and phishing. This problem has worsened to a point where modern botnets control hundreds of thousands of hosts and generate revenues of millions of dollars per year for their owners [23, 42].

Early botnets followed a centralized architecture. However, growing size of botnets, as well as the development of mechanisms that detect centralized command-and-control servers [10, 44, 27, 31, 72, 9, 49, 30, 29, 76], has motivated the design of decentralized peer-to-peer

botnets. Several recently discovered botnets, such as Storm, Peacomm, and Conficker, have adopted the use of structured overlay networks [71, 57, 58]. These networks are a product of research into efficient communication structures and offer a number of benefits. Their lack of centralization means a botnet herder can join and control at any place, simplifying ability to evade discovery. The topologies themselves provide low delay any-to-any communication and low control overhead to maintain the structure. Further, structured overlay mechanisms are designed to remain robust in the face of churn [48, 32], an important concern for botnets, where individual machines may be frequently disinfected or simply turned off for the night. Finally, structured overlay networks also have protection mechanisms against active attacks [12].

In this work, we examine the question of whether ISPs can detect these efficient communication structures of peer-to-peer (P2P) botnets and use this as a basis for botnet defense. ISPs, enterprise networks, and IDSs have significant visibility into these communication patterns due to the potentially large number of paths between bots that traverse their routers. Yet the challenge is separating botnet traffic from background Internet traffic, as each botnet node combines command-and-control communication with the regular connections made by the machine's user. In addition, the massive scale of the communications makes it challenging to perform this task efficiently.

We propose BotGrep, an algorithm that isolates efficient peer-to-peer communication structures solely based on the information about which pairs of nodes communicate with one another (communication graph). Our approach relies on the fast-mixing nature of the structured P2P botnet C&C graph [26, 11, 6, 79]. The BotGrep algorithm iteratively partitions the communication graph into a faster-mixing and a slower-mixing piece, eventually narrowing on to the fast-mixing component. Although graph analysis has been applied to botnet and

P2P detection [15, 36, 78, 35], our approach exploits the spatial relationships in communication traffic to a significantly larger extent than these works. Based on experimental results, we find that under typical workloads and topologies our techniques localize 93-99% of botnet-infected hosts with a false positive probability of less than 0.6%, even when only a partial view of the communication graph is available. We also develop algorithms to run BotGrep in a privacy-preserving fashion, such that each ISP keeps its share of the communication graph private, and show that it can still be executed with access to a moderate amount of computing resources.

The BotGrep algorithm is content agnostic, thus it is not affected by the choice of ports, encryption, or other content-based stealth techniques used by bots. However, BotGrep must be paired with some sort of malware detection scheme, such as anomaly or misuse detection, to be able to distinguish botnet control structures from other applications using peer-to-peer communication. A promising approach starts with a honeynet that “traps” a number of bots. BotGrep is then able to take this small seed of bot nodes and recover the rest of the botnet communication structure and nodes.

**Roadmap:** We start by giving a more detailed problem description in Section 2. In Section 3, we describe our overall approach and core algorithms, and describe privacy-preserving extensions that enable sharing of observations across ISP boundaries in Section 4. We then evaluate performance of our algorithms on synthetic botnet topologies embedded in real Internet traffic traces in Section 5. We provide a brief discussion of remaining challenges in Section 6, and describe related work in Section 7. Finally, we conclude in Section 8.

## 2 System Architecture

In this section we describe several challenges involved in detecting botnets. We then describe our overall architecture and system design.

**Challenges:** Over the recent years, botnets have been adapting in order to evade detection and their activities have become increasingly stealthy. Botnets use random ports, encrypt their communication contents, thus defeating content-based identification. Traffic patterns, which have previously been used for detection [29], could potentially be altered as well, using content padding or other approaches. However, overall, it seems hard to hide the fact that two nodes are communicating, and thus we use this information as the basis for our design.

However, we are faced with several additional challenges. The background traffic on the Internet is highly variable and continuously changing, and likely dwarfs the small amount of control traffic exchanged between

botnet hosts. Further, botnet nodes combine their malicious activity with the regular traffic of the legitimate users, thus they are deeply embedded inside the background communication topology. For example, Figure 1(b) shows a visualization of a synthetic P2P botnet graph embedded within a communication graph collected from the Abilene Internet2 ISP. The botnet is tightly integrated and cannot be separated from the rest of the nodes by a small cut.

In order to observe a significant fraction of botnet C&C traffic, it is necessary to combine observations from many vantage points across multiple ISPs. This creates an extremely large volume of data, since originally the background traffic will be captured as well. Thus, any analysis algorithms face a significant scaling challenge. In addition, although ISPs have already demonstrated their willingness to detect misbehavior in order to better serve their customers [3] as well as cooperating across administrative boundaries [4], they may be reluctant to share traffic observations, as those may reveal confidential information about their business operations or their customers.

We next propose a botnet defense architecture that addresses these challenges.

**System architecture :** As a first step, our approach requires collecting a communication graph, where the nodes represent Internet hosts and edges represent communication (of any sort) between them. Portions of this graph are already being collected by various ISPs: the need to perform efficient accounting, traffic engineering and load balancing, detection of malicious and disallowed activity, and other factors, have already led network operators to deploy infrastructure to monitor traffic across multiple vantage points in their networks. BotGrep operates on a graph that is obtained by combining observations across these points into a single graph, which offers significant, though incomplete visibility into the overall communication of Internet hosts<sup>1</sup>. Traffic monitoring itself has been studied in previous work (e.g., [44]), and hence our focus in this work is not on architectural issues but rather on building scalable botnet detection algorithms to operate on such an infrastructure.

A second source of input is misuse detection. Since botnets use communication structures similar to other P2P networks, the communication graph alone may not

<sup>1</sup>Tools such as Cisco IOS’s NetFlow [2] are designed to sample traffic by only processing one out of every 500 packets (by default). To evaluate the effect of sampling, we replayed packet-level traces collected by the authors of [42] from Storm botnet nodes, and simulated NetFlow to determine the fraction of botnet links that would be detected. We found that in the worst case (assuming each flow traversed a different router), after 50 minutes, 100% of botnet links were detected. Moreover, recent advances in counter architectures [77] may enable efficient tracking of the entire communication graph without need for sampling.

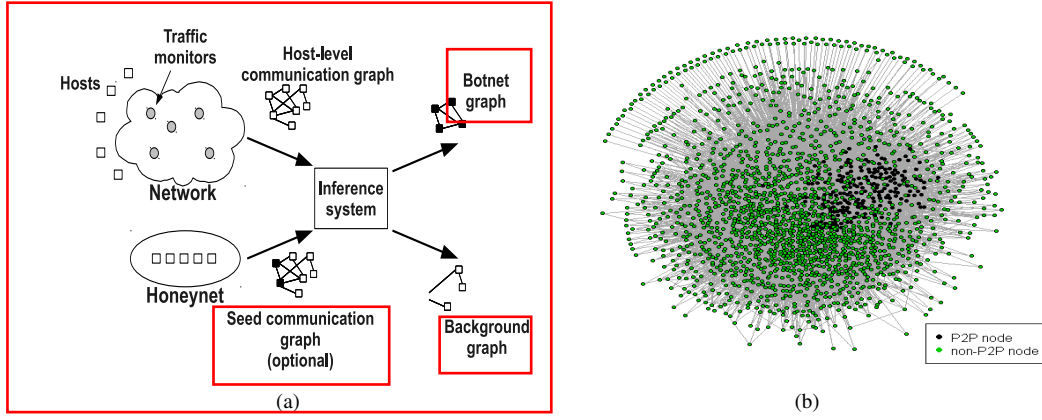


Figure 1: (a) BotGrep architecture and (b) Abilene network with embedded P2P subgraph

be enough to distinguish the two. Some form of indication of malicious activity, such as botnet nodes trapped in Honeynets [68] or scanning behavior detected by Darknets [7], is therefore necessary. A list of misbehaving hosts can act as an initial “seed” to speed up botnet identification, or it can be used later to verify that the detected network is indeed malicious.

The next step is to isolate a botnet communication subgraph. Recently, botnet creators have been turning to communication graphs provided by structured networks, both due to their advantages in terms of efficiency and resilience, and due to easy availability of well-tested implementations of the structured P2P algorithms (e.g., Storm bases the C&C structure for its supernodes on the Overnet implementation of Kademia [50]). One common feature of these structured graphs is their fast *mixing time*, i.e., the convergence time of random walks to a stationary distribution. Our algorithm exploits this property by performing random walks to identify fast-mixing component(s) and isolate them from the rest of the communication graph. If sharing of sensitive information is an issue, it is possible to perform random walks in a privacy-preserving fashion on a graph that is split among a collection of ISPs.

Once the botnet C&C structure is identified and confirmed as malicious, BotGrep outputs a set of *suspect hosts*. This list may be used to install blacklists into routers, to configure intrusion detection systems, firewalls, and traffic shapers; or as “hints” to human operators regarding which hosts should be investigated. The list may also be distributed to subscribers of the service, potentially providing a revenue stream. The overall architecture is shown in Figure 1(a).

### 3 Inference Algorithm

Our inference algorithm starts with a *communication graph*  $G = (V, E)$  with  $V$  representing the set of hosts

observed in traffic traces and undirected edges  $e \in E$  inserted between communicating hosts. Embedded within  $G$  is a P2P graph  $G_p \subset G$ , and the remaining subgraph  $G_n = G - G_p$  containing non-P2P communications. The goal of our algorithms is to reliably *partition* the input graph  $G$  into  $\{G_p, G_n\}$  in the presence of dynamic background traffic and with only partial visibility.

### 3.1 Approach overview

The main idea behind our approach is that, since most P2P topologies are much more highly structured than background Internet traffic, we can partition by detecting subgraphs that exhibit different topological patterns from each other or the rest of the graph. We do this by performing *random walks*, and comparing the relative mixing rates of the P2P subgraph structure and the rest of the communication graph. The subgraph corresponding to structured P2P traffic is expected to have a faster mixing rate than the subgraph corresponding to the rest of the network traffic. The challenge of the problem is to partition the graph into these two subgraphs when they are not separated by a small cut, and to do so efficiently for very large graphs.

Our approach consists of three key steps. Since the input graph could contain millions of nodes, we first apply a *prefiltering step* to extract a smaller set of *candidate peer-to-peer nodes*. This set of nodes contains most peer-to-peer nodes, as well as false positives. Next, we use a clustering technique based on the SybilInfer algorithm [21] to cluster only the peer-to-peer nodes, and remove false positives. The final step involves validating the result of our algorithms based on fast-mixing characteristics of peer-to-peer networks.

### 3.2 Prefiltering Step

The key idea in the **prefiltering step** is that for short random walks, the state probability mass associated with nodes in the fast-mixing subgraph is likely to be closer to the stationary distribution than nodes in the slow-mixing subgraph. Let  $P$  be the transition matrix of the random walks.  $P$  is defined as

$$P_{ij} = \begin{cases} \frac{1}{d_i} & \text{if } i \rightarrow j \text{ is an edge in } G \\ 0 & \text{otherwise} \end{cases}, \quad (1)$$

where  $d_i$  denotes the degree of vertex  $i$  in  $G$ .

The probability associated with each vertex after the short random walk of length  $t$ , denoted by  $q^t$ , can be used as a metric to compare vertices and guide the extraction of the P2P subgraph. The initial probability distribution  $q^0$  is set to  $q_i^0 = 1/|V|$ , which means that the walk starts at all nodes with the equal probability. We can recursively compute  $q^t$  as follows:

$$q^t = q^{t-1} \cdot P \quad (2)$$

Now, since nodes in the fast-mixing subgraph are likely to have  $q^t$  values closer to the stationary distribution than nodes in the slow-mixing subgraph, and because the stationary distribution is proportional to node degrees, we can cluster nodes with homogeneous  $\frac{q_i^t}{d_i}$  values. However, before doing so, we apply a transformation to dampen the negative effects of high-degree nodes on structured graph detection. High-degree nodes or hubs are responsible for speeding up the mixing rate of the non-structured subgraph  $G_n$  and can reduce the relative mixing rate of  $G_p$  as compared to  $G_n$ . The transformation filter is as follows:

$$s_i = \left( \frac{q_i^t}{d_i} \right)^{\frac{1}{r}}, \quad (3)$$

where  $r$  is the dampening constant. We can now cluster vertices in the graph by using the  $k$ -means algorithm [47] on the set of values  $s$ . The  $k$ -means clustering algorithm divides the points in  $s$  into  $k$  ( $k \ll |V|$ ) clusters such that the sum of squares  $J$  from points to the assigned cluster centers is minimized.

$$J = \sum_{j=1}^k \sum_{i=1}^{|V|} \|s_i - c_j\|^2, \quad (4)$$

where  $c_j$  is the center of cluster  $j$ . The within-cluster sum of squares for each cluster constitutes the cluster score. The parameter  $k$  is chosen using the method of Pelleg and Moore [56]. Starting from a user specified minimum number of clusters  $k = k_{min}$  we repeatedly compute  $k$ -means over our dataset by incrementing  $k$  up to a maximum of  $k_{max}$ . We then select the best-scoring  $k$  value.

$k_{min}$  and  $k_{max}$  correspond to the minimum and maximum number of possible botnets within the dataset. In our experiments, we used  $k_{min} = 0$  and  $k_{max} = 20$ .

Each of the  $k$  clusters corresponds to a set of nodes in  $V_G$ , so we may partition our graph into subgraphs  $\{G_1, G_2, \dots, G_k\}$ . We must now confirm or reject the hypothesis that each of these subgraphs contains a structured P2P graph. Clustering helps speed up the super-linear components of the following algorithm; we may also be able to focus our attention on a particular subset of clusters if misuse detection is concentrated within them.

Note that we can use the sparse nature of the matrix  $P$  to compute  $q^t$  using Equation 2 very efficiently in  $O(|E| \cdot t)$  time. The time and space complexity of Equation 3 is  $O(|V|)$ , while Equation 4 can be computed in  $O(k \cdot |V|)$  iterations. Thus the prefiltering step is a very efficient mechanism to obtain a set of candidate P2P nodes, capable of operating on large node graphs.

### 3.3 Clustering P2P Nodes

The subgraphs computed by the above step are likely to contain P2P nodes, but they are also likely to contain some non-P2P nodes due to the ‘‘leakage’’ of random walks out of the structured subgraph. We perform a second pass over the each subgraph  $G_l \in G_1, G_2, \dots, G_k$  to remove weakly connected nodes.

We cluster P2P nodes by using the SybilInfer [21] framework. SybilInfer is a technique to detect Sybil identities in a social network graph; a key feature of SybilInfer is a sampling strategy to identify a good partition out of an extremely large space of possibilities ( $2^V$ ).

However, the detection algorithm used in SybilInfer relies on the existence of a small cut between the honest social network and the Sybil subgraph, and is thus not directly applicable to our setting. Next, we present a modified SybilInfer algorithm that is able to detect P2P nodes.

**1. Generation of Traces :** The first step of the clustering is the generation of a set of random walks on the input graph. The walks are generated by performing a number  $n$  of random walks, starting at each node in the graph. A special probability transition matrix is used, defined as follows:

$$P'_{ij} = \begin{cases} \min(\frac{1}{d_i}, \frac{1}{d_j}) & \text{if } i \rightarrow j \text{ is an edge in } G \\ 0 & \text{otherwise} \end{cases} \quad (5)$$

This choice of transition probabilities ensures that the stationary distribution of the random walk is uniform over all vertices. The length of the random walk is  $O(\log |V|)$ , while the number of random walks per node



(denoted by  $n$ ), is a tunable parameter of the system. Only the start vertex and end vertex of each random walk are used by the algorithm, and this set of vertex pairs is called the *traces*, denoted by  $T$ .

**2. A probabilistic model for P2P nodes:** At the heart of our detection algorithm lies a model that assigns a probability to each subset of nodes of being P2P nodes.

Consider any cut  $X \subseteq V$  of nodes in the graph. We wish to compute the probability that the set of nodes  $X$  are all P2P nodes, given our set of traces  $T$ , i.e.  $P(X = P2P|T)$ . Through the application of Bayes theorem, we have an expression of this probability:

$$P(X = P2P|T) = \frac{P(T|X = P2P) \cdot P(X = P2P)}{Z = P(T)} \quad (6)$$

Note that we can treat  $P(T)$  as a normalization constant  $Z$ , as it does not change with the choice of  $X$ . The prior probability  $P(X = P2P)$  can be used to encode any further knowledge about P2P nodes (using honeynets), or can simply be set uniformly over all possible cuts. Our key theoretical task here is the computation of the probability  $P(T|X = P2P)$ , since given this probability, we can compute  $P(X = P2P|T)$  using the Bayes theorem.

Our intuition in proposing a model for  $P(T|X = P2P)$  is that for short random walks, the state probability mass for peer-to-peer nodes quickly approaches the stationary distribution. Recall that the stationary distribution of our special random walks is uniform, and thus, the state probability mass for peer-to-peer nodes should be homogeneous. We can classify the random walks in the trace  $T$  into two categories: random walks that end in the set  $X$ , and random walks that end in the set  $\bar{X}$  (complementary set of nodes).

Using our intuition that for short random walks, the state probability mass associated with peer-to-peer nodes is homogeneous, we assign a uniform probability to all walks ending in the set  $X$ . On the other hand, we make no assumptions about random walks ending in the set  $\bar{X}$  (in contrast to the original SybilInfer algorithm). Thus,

$$P(T|X = P2P) = \prod_{w \in T} P(w|X = P2P), \quad (7)$$

where  $w$  denotes a random walk in the trace. Now if the walk  $w$  ends in vertex  $a$  in  $X$ , then we have that

$$P(w|X = P2P) = \sum_{v \in X} \frac{N_v}{n \cdot |V|} \cdot \frac{1}{|X|}, \quad (8)$$

where  $N_v$  denotes the number of random walks ending in vertex  $v$ . Observe that this probability is the same for all vertices in  $X$ . On the other hand, if the walk  $w$  ends in vertex  $a$  in  $\bar{X}$ , then we have that

$$P(w|X = P2P) = \frac{N_a}{n \cdot |V|}. \quad (9)$$

**3. Metropolis-Hastings Sampling:** Using the probabilistic model for P2P nodes, we have been able to compute the probability  $P(X = P2P|T)$  up to a multiplicative constant  $Z$ . However, computing  $Z$  is difficult since it involves enumeration over all subsets  $X$  of the graph. Thus, instead of directly calculating this probability for any configuration of nodes  $X$ , we will sample configurations  $X_i$  following this distribution. We use the Metropolis-Hastings algorithm [34] to compute a set of samples  $X_i \sim P(X|T)$ . Given a set of samples  $S$ , we can compute marginal probabilities of nodes being P2P nodes as follows:

$$P[i \text{ is P2P}] = \frac{\sum_{j \in S} I(i \in X_j)}{|S|}, \quad (10)$$

where  $I(i \in X_j)$  is an indicator random variable taking value 1 if node  $i$  is in the P2P sample  $X_j$ , and value 0 otherwise. Finally, we can use a threshold on the marginal probabilities (set to 0.5) to partition the set of nodes into fast-mixing and slow-mixing components.

### 3.4 Validation

We note that a general graph may be composed of multiple subgraphs having different mixing characteristics. However, our modified SybilInfer based clustering approach only partitions the graph into two subgraphs. This means we may have to use multiple iterations of the modified SybilInfer based clustering algorithm to get to the desired fastest mixing subgraph. This raises an important question - **what is the termination condition for the iteration.** In other words, we need a validation test to establish that we have obtained the fast-mixing P2P subgraph that we were trying to detect. Next, we propose a set of validation tests: if all of the tests are true, the iteration is terminated.

- **Graph Conductance test:** It has been shown [62] that the presence of a small cut in a graph results in a slow mixing time and that a fast-mixing time implies the absence of small cuts. To formalize the notion of a small cut, we use the measure of *graph conductance* ( $\Phi_X$ ) [43] between cuts  $(X, \bar{X})$ , defined as

$$\Phi_X = \frac{\sum_{x \in X} \sum_{y \notin X} \pi(x) P_{xy}}{\pi(X)}$$

Since peer-to-peer networks are fast mixing, their graph conductance should be high (they do not have a small cut). Thus we can prevent further partitioning of a fast-mixing subgraph by testing that the graph conductance between the cuts is high.

- **$q^{(u)}$  entropy comparison test:** Random walks on structured homogeneous P2P graphs are characterized by high entropy state probability distributions.

This means that on a graph with  $n$  nodes, a random walk of length  $t \cong \log|n|$  results in  $q_i^{(t)} = 1/n$ . In this sense they are theoretically optimal. We compute the relative entropy of the state probability distribution in graph  $G(V, E)$  versus its theoretical optimal equivalent graph  $G^T$ . For this we use the Kullback-Leibler (KL) divergence measure [45] to calculate the relative entropy between  $q_G$  and  $q_{G^T}$ :  $F_G = \sum_x q_{G^T}(x) \log \frac{q_{G^T}(x)}{q_G(x)}$ . When  $F_G$  is close to zero then the mixing rates of  $G$  and  $G^T$  are comparable. This step can be computed in  $O(|V|)$  time and  $O(|V|)$  space.

- **Degree-homogeneity test:** The entropy comparison test above does not rule out fast-mixing heterogeneous graphs such as a star topology. However since structured P2P graphs have relatively homogeneous degree distributions (by definition), we need an additional test to measure the dispersion of degree values. In our study, we measured the coefficient of variation of the degree distribution of  $G$ , defined as the ratio of standard deviation and mean:  $c_G = \sigma/\mu$ .  $c_G$  will be 0 for a fully homogeneous degree distribution. This metric can also be computed within  $O(|V|)$  time and space.

## 4 Privacy Preserving Graph Algorithms

In general, ISPs treat the monitoring data they collect from their own networks as confidential, since it can reveal proprietary information about the network configuration, performance, and business relationships. Thus, they may be reluctant to share the pieces of the communication graph they collect with other ISPs, presenting a barrier to deploying our algorithms. In this section, we present privacy-preserving algorithms for performing the computations necessary for our botnet detection. Fundamentally, these algorithms support the task of performing a random walk across a distributed graph.

### 4.1 Establishing a Common Identifier Space

Our algorithms are expressed in terms of a graph  $G = (V, E)$ , where the vertices are Internet hosts and edges are connections between them. This graph is assembled from  $m$  subgraphs belonging to  $m$  ASes,  $G_i = (V_i, E_i)$  such that  $G = \bigcup_{i=1}^m G_i$ . To simplify computations, we would like to generate an index mapping  $I: \mathbb{Z}_{|V|} \rightarrow V$ . We base our approach on private set intersection protocols. In particular, Jarecki and Liu have shown how to use Oblivious Pseudo-Random Functions (OPRFS) to perform private set intersection in linear time, i.e.,

$O(|V_i| + |V_j|)$ . [37]. The basic approach consists of having a server pick a PRF  $f_k(x)$ , with a secret  $k$ . The server then evaluates  $S = \{f_k(s_i)\}$  for all points within the server's set and sends it to the client. The client then, together with the server, evaluates the PRF obliviously on all  $c_i$  for its own set; i.e., the client learns  $C = \{f_k(c_i)\}$  without learning  $k$ , whereas the server learns nothing except  $|C|$ . The client can then compute  $C \cup S$  and thus find the intersection.

We extend this approach to our problem as follows: we pick one AS to act as the server, and the rest as clients. Each client uses OPRF to compute  $f_k(V_i)$ . The server then generates an ordered list of  $f_k(V_1)$  and sends it to the second AS. The second AS finds  $f_k(V_1) \cap f_k(V_2)$  and thus identifies the positions of its nodes in the vector. It then appends  $f_k(V_2)$  to the list and sends the resulting list  $f_k(V_1 \cup V_2)$  to the next AS. This process continues until the last AS is reached, who then reports  $|V|$  to all of the others. Each AS can then compute  $I$  for any node  $v$  in its subgraph by finding the corresponding position of  $f_k(v)$  in the list it saw.

Next, the ASes need to eliminate duplicate edges. A similar algorithm can be used here, with each ISP dropping from its observations any edge that was also observed by another ISP that comes earlier in the list. Alternatively, routing information can be used to determine which edges might be observed by which other AS and perform a pairwise set intersection including only those nodes.

Finally, to perform random walk, each AS needs to learn the degree of each node. Since we eliminated duplicated edges,  $d(v) = \sum_{i=1}^m d_i(v)$ , where  $d_i(v)$  is the degree of node  $v$  in  $G_i$ . The sum can be computed by a standard privacy-preserving protocol, which is an extension of Chaum's dining cryptographer's protocol [13].

Each AS  $i$  creates  $m$  random shares  $s_j^{(i)} \in \mathbb{Z}_l$  such that  $\sum_{j=1}^m s_j^{(i)} \equiv d_i(v) \pmod{l}$  (where  $l$  is chosen such that  $l > \max_v d(v)$ ). Each share  $s_j^{(i)}$  is sent to AS  $j$ . After all shares have been distributed, each AS computes  $s_i = \sum_{j=1}^m s_j^{(i)} \pmod{l}$  and broadcasts it to all the other ASes. Then  $d(v) = \sum_{i=1}^m s_i \pmod{l}$ . This protocol is information-theoretically secure: any set of malicious ASes  $S$  only learns the value  $d(v) - \sum_{j \in S} d_j(v)$ . The protocol can be executed in parallel for all nodes  $v$  to learn all node degrees.

### 4.2 Random Walk

We perform a random walk by using matrix operations. In particular, given a transition matrix  $T$  and an initial state vector  $\vec{v}$ , we can compute  $T\vec{v}$ , the state vector after a single random walk step. Our basic approach is to create matrices  $T_i$  such that  $\sum_{i=1}^m T_i = T$ . We can then compute

$T_i \vec{v}$  in a distributed fashion and compute the final sum at the end.

To construct  $T_i$ , an AS will set the value  $(T_i)_{j,k}$  to be  $1/d(v_j)$  for each edge  $(j,k) \in E_i$  (after duplicate edges have been removed). Note that this transition matrix is sparse; it can be represented by  $N$  linked lists of non-zero values  $(T_i)_{j,k}$ . Thus, the storage cost is  $O(|E_i|) \ll O(|V_i|^2)$ .

To protect privacy, we use Paillier encryption [55] to perform computation on an encrypted vector  $E(\vec{v})$ . Paillier encryption supports a homomorphism that allows one to compute  $E(x) \oplus E(y) = E(x+y)$ ; it also allows the multiplication by a constant:  $c \otimes E(x) = E(cx)$ . This, given an encrypted vector  $E(\vec{v})$  and a known matrix  $T_i$ , it is possible to compute  $E(T_i \vec{v})$ .

Damgård and Jurik [20] showed an efficient distributed key generation mechanism for Paillier that allows the creation of a public key  $K$  such that no individual AS knows the private key, but together, they can decrypt the value. In the full protocol, one AS creates an encrypted vector  $E(\vec{v})$  that represents the initial state of the random walk. This vector is sent to each AS, who then computes  $E(T_i \vec{v})$ . The ASes sum up the individual results to obtain  $E(\sum_{i=1}^m T_i \vec{v}) = E(T \vec{v})$ . This process can be iterated to obtain  $E(T^k \vec{v})$ . Finally, the ASes jointly decrypt the result to obtain  $T^k \vec{v}$ .

Note that Paillier operates over members  $\mathbb{Z}_n$ , where  $n$  is the product of two large primes. However, the vector  $\vec{v}$  and the transition matrices  $T_i$  contain fractional values. To address this, we used fixed-point representation, storing  $\lfloor x \times 2^c \rfloor$  (equivalently,  $(x - \epsilon) \times 2^c$ , where  $\epsilon < 2^{-c}$ ). Each multiplication results in changing the position of the fixed point, since:

$$((x - \epsilon_1) \times 2^c) ((y - \epsilon_2) \times 2^c) = (xy - \epsilon_3) \times 2^{2c}$$

where  $\epsilon_3 < 2^{-c+1}$ . Therefore, we must ensure that  $2^{2c} < n$ , where  $k$  is the number of random walk steps. The maximal length random walk we use is  $2 \log_{\bar{d}} |V|$ , where  $\bar{d}$  is the average node degree, so  $k < 40$ , which gives us plenty of fixed-point precision to work with for a typical choice of  $n$  (1024 or 2048 bits).<sup>2</sup>

### 4.3 Performance

Although the base privacy-preserving protocols we propose are efficient, due to the large data sizes, the operations still take a significant amount of processing time.

<sup>2</sup>Note that the multiplication of probabilities might result in values that are extremely small; however, the number of digits after the fixed point correspondingly increases after each multiplication, preventing loss of precision.

<sup>3</sup>The CPU time is estimated based on experiments on different hardware; however, these numbers are intended to provide an order-of-magnitude estimate of the costs.

Table 1: Privacy Preserving Operations

Step	CPU time AS1 (s) <sup>3</sup>
1. Determine common identifiers	1 020 000
2. Eliminate duplicate edges	8 160 000
3. Compute node degrees	(no crypto)
4. Random walk (20 steps)	8 000 000

We estimate the actual processing costs and bandwidth overhead, using some approximate parameters. In particular, we consider a topology of 30 million hosts, with an average degree of 20 per node.<sup>4</sup>

The running time of the intersections to compute a common representation is linear in  $|V_i| + |V_j|$ . We expect that  $|V_i| < |V|$ , but in the worst case, each ISP sees all of the nodes. Projecting linearly, we expect to spend about 30 000s on an intersection between two ISPs. Most ASes must perform only one intersection, but the first AS is involved in  $m - 1$  intersections. We expect  $m$  to be around 35, based on our analysis of visibility of bot paths by tier-1 ISPs (Section 5.1). An important feature of the algorithm is that each ISP other than the first need only perform as many OPRF evaluations as it has nodes in its observation table, thus smaller ISPs with fewer resources need to perform correspondingly less work. We therefore suggest that the largest contributing ISP be chosen as the server. De Cristofaro and Tsudik suggest an efficiency improvement for Jaercki and Liu's algorithm [18]; they find that the server computation for 1 000 client values is less than 400ms. Projecting linearly, we expect that the server load per client should be 12 000 seconds.

The next series of set intersections involve edge sets. The worst-case scenario for this computation assumes that all ASes see all edges, although, of course, this is unlikely (and would mean that the participation of some ASes is redundant). The load on the central server is  $(0.4s/1000) \cdot 600000000 \cdot 34 = 8\,160\,000s$ .

A step of the random walk requires  $O(|E|)$  homomorphic multiplications and additions of encrypted values. Our measurements with `libpaillier`<sup>5</sup> show that the multiplications are two orders of magnitude slower than additions. We were able to perform approx. 1500 multiplications per second using a 2048-bit modulus. This means that a single step would take 400 000s of computation.

We summarize the costs of the computation in Table 1. It is important to note that all of the operations are trivially parallelizable and thus can be computed on a moderately-sized cluster of commodity machines. Additionally, the table represents the costs of an initial computation; updated results can be computed by operating

<sup>4</sup>The choice of topology size and the average node degree is motivated from our experimental setting in Section 5.

<sup>5</sup><http://acsc.cs.utexas.edu/libpaillier/>

only on the deltas of the observations, which we expect to be significantly smaller.

## 5 Results

To evaluate performance of our design, we evaluate it in the context of real Internet traffic traces. Ideally, to evaluate our design, we would like to have a list of all bots in the Internet, along with which logs of packets flowing between them, in addition to packet traces between non-botnet hosts. Unfortunately, acquiring data this extensive is very hard, due to the (understandable) reluctance of ISPs to share their internal traffic, and the difficulty in gaining ground truth on which hosts are part of a botnet.

To address this, we apply our approach to synthetic traces. In particular, we construct a topology containing a botnet communication graph, and embed it within a communication graph corresponding to background traffic. To improve realism, we build the background traffic communication graph by using real traffic collected from Netflow logs from the IP backbone of the Abilene Internet2 ISP. For our analysis, we consider a full day’s trace collected on 22 October 2009. Since Abilene’s NetFlow traces are aggregated into /24-sized subnets for anonymity, we perform the same aggregation for the botnet graph, and collect experimental results over the resulting subnet-level communication graph (we expect if our design were deployed in practice with access to per-host information, its performance would improve due to increased visibility). To investigate sensitivity of our results to this methodology and data set, we also use packet-level traces collected by CAIDA on OC192 Internet backbone links [5] on 11 January 2009. To construct the botnet graph, we select a random subset of nodes in the background communication graph to be botnet nodes, and synthetically add links between them corresponding to a particular structured overlay topology. We then pass the combined graph as input to our algorithm. By keeping track of which nodes are bots (this information is not passed to our algorithm), we can acquire “ground truth” to measure performance. To investigate sensitivity of our techniques to the particular overlay structure, we consider several alternative structured overlays, including (a) Chord, (b) de Bruijn, (c) Kademlia, and (d) the “robust ring” topology described in [39]. The remainder of this section contains results from running our algorithms over the joined botnet and Internet communication graphs, and measuring the ability to separate out the two from each other.

Before we proceed to the results, we first illustrate our inference algorithm with an example run.

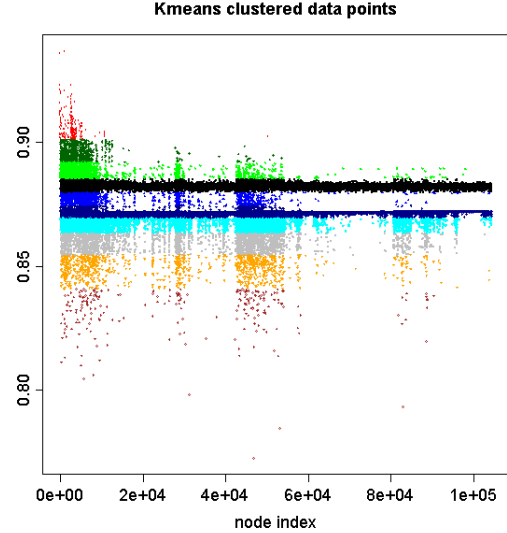


Figure 2: The filtered limit distribution ( $s_i$ ) after clustering

### 5.1 Algorithm Example

Let us consider a specific application of our algorithm on a synthetically-generated de Bruijn [41] peer-to-peer graph embedded within a communication graph sampled from the Internet (using NetFlow traces from the Abilene Internet2 ISP). The Abilene communication graph  $G_D$  contains  $|V_D| = 104426$  nodes. We then generated a de Bruijn graph  $G_p$  of 10000 nodes, with  $m = 10$  outgoing links and  $n = 4$  dimensions (10% of  $|V|$ ).  $G_p$  is then embedded in  $G_D$  by mapping a node in  $G_p$  into a node in  $G_D$ : for every node  $i \in V_B$  we select a node  $j \in V_D$  uniformly at random between 1 and  $|V_D|$  without replacement, and add the corresponding edges in  $E_B$  to  $E_D$ . The resulting graph is  $G(V, E)$  with  $N = |V| = 104426$  nodes and  $|E| = 647053$  edges. The goal of our detection technique is to extract  $G_p$  from  $G_D$  as accurately as possible.

First, we apply the pre-filtering step: we carry out a short random walk starting from every node with probability  $1/N$  to obtain  $q^{(t)}$ , on which the transformation filter of Equation 3 is applied to obtain  $s$ . We used a dampening constant of  $r = 100$  to undermine the influence of hub nodes on the random walk process. The data points in  $s$  corresponding to each of the partitions returned by k-means clustering is shown in Figure 2.

In the example we consider here, applying the k-means algorithm gives us ten sets of potential P2P candidates. In a completely unsupervised setting, we would need to run the modified SybilInfer algorithm on each of the candidate sets. However we expect that the analysis can simply be focused on the candidate set containing the set of honey-net nodes. Thus, let us consider the graph



Table 2: Termination Conditions

Condition	Final iter.	Other iters.
Conductance	0.9	$< 0.5$
KL-divergence	0.1	$> 0.45$
Entropy	0.97	$< 0.64$
Coeff. of variation	$< 1$	$> 4.6$

nodes corresponding to the fourth cluster (colored in yellow). The cluster size is 17576 nodes.

Next, we recursively apply the modified SybilInfer partitioning algorithm to this cluster. After three iterations of the SybilInfer partitioning algorithm, we obtain a subgraph of size 10143 nodes, containing 9905 P2P nodes, and 238 other nodes. At this stage, our set of validation conditions indicates that the sub-graph is indeed fast mixing, and we stop the recursion. Table 2 shows the values of the validation metrics on the final subgraph and the previous graphs. There is a significant gap, making it easy to select a threshold value.

To evaluate performance, we are concerned with the *false positive rate* (the fraction of non-bot nodes that are detected as bots) and the *false negative rate* (the fraction of bot nodes that are not detected). These results are shown in Tables 3(a) and 3(b). The experimental methodology and parameters used were the same as in the above example. All results are averaged over five random seeds. Overall, we found that BotGrep was able to detect 93-99% of bots over a variety of topologies and workloads. In particular, we observed several key results:

**Effect of botnet topology:** To study applicability of our approach to different botnet topologies, we consider Kademlia [50], Chord [70], and de Bruijn graphs. In addition, we also consider the LEET-Chord topology [39], a recently proposed overlay topology that aims to be difficult to detect (cannot be reliably detected with existing traffic dispersion graph techniques). Overall, we find performance to be fairly stable across multiple kinds of botnet topologies, with detection rates higher than 95%. In addition, BotGrep is able to achieve a false positive rate of less than 0.42% on the harder-to-detect LEET-Chord topology. While our approach is not perfectly accurate, we envision it may be of use when coupled with other detection strategies (e.g., previous work on botnet detection [38, 36], or if used to signal “hints” to network operators regarding which hosts may be infected. Furthermore, while the LEET-Chord topology is harder to detect, this comes at a tradeoff with less resilience to failure. To study the robustness of the LEET-Chord topology, Figure 3 shows the robustness of Chord and LEET-Chord by randomly removing varying percentages of nodes. We observed that LEET-Chord is much less resilient to node failures (or active attacks) as compared with Chord. This trade-off between stealthiness of the

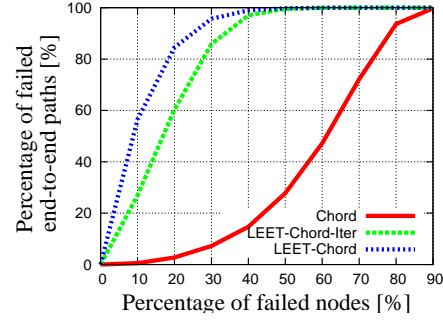


Figure 3: Robustness of Chord and LEET-Chord with 65,536 nodes. We also consider an alternative LEET-Chord-Iter, where routing proceeds as in regular LEET-Chord, but when the destination is outside the node’s cluster, and when all long range links are failed, it greedily forwards the packet iteratively to next clockwise cluster.

topology and its resilience is not surprising, since a common indicator of resilience is the bisection bandwidth, and Sinclair [66] has shown that the bisection bandwidth is bounded by the mixing time of the topology. Thus, it is likely that the use of stealthy slow mixing topologies to escape detection via BotGrep would adversely effect the resilience of the botnet.

**Effect of botnet graph size:** Next, we vary the size of the embedded botnet. We do this to investigate performance as a function of botnet size, for example, to evaluate whether BotGrep can efficiently detect small botnets (e.g., bots in early stages of deployment, which may have greater chance of containment) and large-scale botnets (which may pose significant threats due to their size and large topological coverage). We perform this experiment by keeping the size of the background traffic graph constant, and generating synthetic botnet topologies of varying sizes (between 100 and 100,000 bots). The degree of bot nodes in the case of Chord and Kademlia depend on the size of the topology ( $\log N$ ), while for de Bruijn, we used a constant node degree of 10. Overall, we found that as the size of the bot graph increases, performance degrades, but only by a small amount. For example, in Table 3(a), with the fully visible de Bruijn topology, for 100 nodes the false positive rate is zero, while for 10,000 nodes the rate becomes 0.12%.

**Effect of background graph size:** One concern is that BotGrep may perform less accurately with larger background graphs, as it may become easier for the botnet structure to “hide” in the increasing number of links in the graph. To evaluate sensitivity of performance to scale, we vary the size of the background communication graph, by evaluating over both the Abilene and CAIDA dataset (104,426 and 3,839,936 nodes, respectively). To

(a) Abilene					(b) CAIDA				
Topology	$ V_B $	% FP	% FN	% Detected	Topology	$ V_B $	% FP	% FN	% Detected
de Bruijn	100	0.00	2.00	98.00	de Bruijn	1000	0.00	1.80	98.20
	1000	0.01	2.40	97.60		10000	0.01	0.93	99.07
	10000	0.12	2.35	97.65		100000	0.09	0.67	99.33
Kademlia	100	0.00	3.20	97.80	Kademlia	1000	0.00	2.10	97.90
	1000	0.01	2.48	98.52		10000	0.01	0.80	99.20
	10000	0.10	2.12	97.88		100000	0.19	0.17	99.83
Chord	100	0.00	3.00	97.00	Chord	1000	0.00	2.20	97.80
	1000	0.01	2.32	97.68		10000	0.01	0.48	99.52
	10000	0.08	1.94	98.06		100000	0.06	0.46	99.54
LEET-Chord	100	0.00	3.00	97.00	LEET-Chord	1000	0.00	0.40	99.60
	1000	0.03	1.60	98.40		10000	0.02	0.48	99.52
	10000	0.42	1.00	99.00					

Table 3: Detection and error rates of inference for (a) Abilene and (b) CAIDA communication graphs

(a) CAIDA 30M					(b) Leveraging Honeynets - CAIDA				
Topology	$ V_B $	% FP	% FN	% Detected	Topology	$ V_B $	% FP	% FN	% Detected
de Bruijn	100000	0.01	0.8	99.20	de Bruijn	100000	0.04	0.8	99.20
Kademlia	100000	0.01	0.4	99.60	Kademlia	100000	0.05	0.4	99.60
Chord	100000	0.01	0.4	99.60	Chord	100000	0.04	0.4	99.60

Table 4: Detection and error rates of inference (a) for CAIDA 30M (b) when leveraging Honeynets for CAIDA.

get a rough sense of performance on much larger background graphs, we also build a “scaled up” version of the CAIDA graph containing 30 million hosts while retaining the statistical properties of the CAIDA graph. To scale up the CAIDA graph  $G_c$  by a factor of  $k$ , we make  $k$  copies of  $G_c$ , namely  $G_1 \dots G_k$  with vertex sets  $V_1 \dots V_k$  and edge sets  $E_1 \dots E_k$ . Note that for each edge  $(p, q)$  in  $E_r$ , we have a corresponding edge in each copy  $G_1 \dots G_k$ , we refer to these as  $(p_1, q_1) \dots (p_k, q_k)$ . We then compute the graph disjoint union over them as  $G_S(V_S, E_S)$  where  $V_S = (V_1 \cup V_2 \dots \cup V_k)$  and  $E_S = E_1 \cup E_2 \dots \cup E_k$ . Next, we randomly select a fraction of links from  $E_S$  to obtain a set of edges  $E_r$  that we shall rewire. As a heuristic, we set the number of links selected for rewiring to  $|E_r| = k\sqrt{N \log(N)}$  where  $N$  is the number of nodes in the CAIDA graph  $G_c$ . For each edge  $(p, q)$  in  $E_r$  we wish to rewire, we choose two random numbers  $a$  and  $b$  ( $1 \leq a, b \leq k$ ) and rewire edges  $(p_a, q_a)$  and  $(p_b, q_b)$  to  $(p_a, q_b)$  and  $(p_b, q_a)$  such that  $d_{p_a} = d_{p_b}$  and  $d_{q_a} = d_{q_b}$ . This edge rewiring ensures that (a) the degree of all four nodes  $p_a, q_a, p_b$  and  $q_b$  remains unchanged, (b) the joint degree distribution  $P(d_1, d_2)$  – the probability that an edge connects  $d_1$  and  $d_2$  degree nodes remains unchanged, and (c)  $P(d_1, d_2, \dots, d_l)$  remains unchanged as well, where  $l$  is the number of unique degree values that nodes in  $G_c$  can take.

Overall, we found that BotGrep scales well with network size, with performance remaining stable as network size increases. For example, in the CAIDA dataset with a background graph of size 3.8 million hosts, the false positive rate for the de Bruijn topology of size 100000 is 0.09% (shown in Table 3b), while for the scaled up 30 million node CAIDA topology, this rate is 0.01 (Ta-

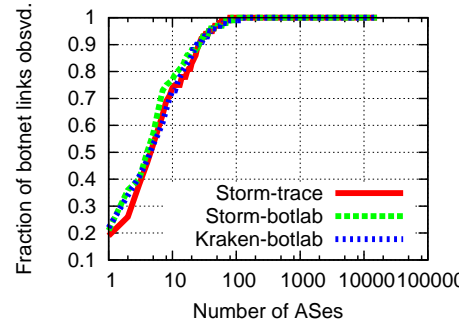


Figure 4: Number of visible botnet links, as a function of number of most-affected ASes contributing views.

ble 4(a)). Observe that the false positive rate has decreased by a factor of 9, which is approximately equal to the scale up factor between the two topologies, indicating that the actual number of false positives remains the same. This indicates that the number of false positives depend on botnet size and not the background graph size.

**Effect of reduced visibility:** In the experiments we have performed so far, the embedded structured graph  $G_p$  is present in its entirety. However, just as  $G_D$  is obtained by sampling Internet or enterprise traffic, only a subset of botnet control traffic will actually be available to us. It is therefore important to evaluate how well our algorithms work with graphs where only a fraction of the structured subgraph edges are known. To study this, we evaluate performance of our scheme when deployed at only a subset of ISPs in the Internet. To do this, we collected

(a) Abilene					(b) CAIDA				
Topology	$ V_B $	% FP	% FN	% Detected	Topology	$ V_B $	% FP	% FN	% Detected
de Bruijn	100	0.00	3.00	97.00	de Bruijn	1000	0.00	2.70	97.30
	1000	0.02	2.80	97.20		10000	0.00	4.22	95.78
	10000	0.17	3.31	96.69		100000	0.12	1.74	98.26
Kademlia	100	0.00	3.75	96.25	Kademlia	1000	0.00	0.50	99.50
	1000	0.01	2.90	97.10		10000	0.01	0.30	99.70
	10000	0.19	2.07	97.93		100000	0.09	0.53	99.47
Chord	100	0.00	9.00	91.00	Chord	1000	0.00	3.40	96.60
	1000	0.02	3.50	96.50		10000	0.01	0.65	99.35
	10000	0.13	2.54	97.46		100000	0.06	5.36	94.64
LEET-Chord	100	0.00	6.00	94.00	LEET-Chord	1000	0.01	0.20	99.80
	1000	0.06	2.70	97.30		10000	0.02	1.09	98.91
	10000	0.58	1.80	98.20					

Table 5: Results if only Tier-1 ISPs contribute views, for (a) Abilene and (b) CAIDA

roughly 4,000 Storm botnet IP addresses from Botlab [1] (*botlab-storm*), and measured what fraction of inter-bot paths were visible from tier-1 ISPs. From an analysis of the Internet AS-level topology [63], we find that 60% of inter-bot paths traverse tier-1 ISPs. We found that if the most-affected ASes cooperate—the ASes with the largest number of bots—this number increased to 89%). Figure 4 shows this result in more detail. Here, we vary the number of ASes cooperating to contribute views (assuming the most-affected ASes contribute views first), plotting the number of visible inter-bot links. We repeat the experiment also for the Kraken botnet trace from [1] (*kraken-botlab*), as well as a packet-level trace from the Storm botnet (*storm-trace*). We find that if only the 5 most-affected ASes contribute views, 57% of Storm links and 65% of Kraken links were visible.

We therefore removed 40% of links from our botnet graphs (Table 5a and Table 5b). While the false-negative rate increases, our approach still detects over 90% of botnet hosts with high reliability (the false positive rate for the hard to detect LEET-Chord topology still remains less than 0.58%). Disabling or removing such a large fraction of nodes will lead to certain loss of operational capability.

**Leveraging Honeynets:** We shall now present an extension to our inference algorithm that leverages the knowledge of a few known bot nodes. This extension considers random walks starting only from the honeynet nodes to obtain a set of candidate P2P nodes in the prefiltering stage. Using this extension, we find that there is a significant gain in terms of reducing the false positives, as well as speeding up the efficiency of the protocol. As Table 4b shows, the false positive rate for the Kademlia topology has been reduced by a factor of 4 as compared to corresponding value in Table 3b. Furthermore, only a single iteration of the modified SybilInfer algorithm was required to obtain the final subgraphs, providing a significant gain in efficiency.

**Effect of inference algorithm:** For comparison pur-

poses, we also consider several graph partitioning algorithms that have been proposed in the literature. While these techniques were not intended to scale up to the large data sets we consider here, we can compare against them on smaller data sets to get a sense of how BotGrep compares against these approaches. In particular, several algorithms for *community detection* (detecting groups of nodes in a network with dense internal connections) have been proposed. Work in this space mainly focuses on *hierarchical clustering methods*. Work in this space can be classified as following two categories, and for our evaluation we implement two representative algorithms from each category:

*Edge importance based* community structure detection iteratively removes the edges with the highest *importance*, which can be defined in different ways. Girvan and Newman [25] defined edge importance by its shortest path betweenness. The idea is that the edge with higher betweenness is typically responsible for connecting nodes from different communities. In [22], *information centrality* has been proposed to measure the edge importance. The information centrality of an edge is defined as the relative *network efficiency* [46] drop caused by the removal of that. The time complexity of algorithm in [25] and [22] are  $O(|V|^3)$  and  $O(|E|^3 \times V)$ , respectively.

*The spectral-based* approach detects communities by optimizing the modularity (a benefit function measures community structure [52] over possible network divisions. In [53], the communities are detected by calculating the eigenvector of the modularity matrix. It takes  $O(|E| + |V|^2)$  time to separating each community. Moreover, Clauset *et al.* [14] proposed a hierarchical agglomeration algorithm for community detecting. The proposed greedy algorithm adopts more sophisticated data structures to reduce the computation time of modularity calculation. The time complexity is  $O(|E| + |V| \log_2 |V|)$  in average.

As the time complexity of above algorithms is not acceptable for computing large-scale networks, here we

Topology	BotGrep	Fast Greedy Modularity	Girvan-Newman Betweenness	Modularity Eigenvector
de Bruijn	0.78/2.55	14.43/7.65	19.73/15.31	0.92/43.88
Chord	0.77/7.15	7.58/10.13	6.05/19.50	4.24/20.19
Kademlia	0.92/7.00	14.66/33.80	18.06/4.75	5.70/48.70

Table 6: 2k Abilene Results (% FP /% FN)

consider a small-scale scenario for performance evaluation. We extract subgraphs from full Abilene data by performing a Breadth-First-Search (BFS) starting at a randomly selected node, in which the overall visited nodes are limited by a size of 2000. Results from our comparison are shown in Table 6. The information centrality algorithm took more than one month to run for just one iteration on this 2000-node graph, and was hence excluded from further analysis (we tested information centrality on smaller 50-node graphs, and found performance comparable to the Girvan and Newman Betweenness algorithm). Overall, we found that our approach outperformed these approaches. For example, on the Chord topology, BotGrep’s false positive rate was 0.77%, while false positive rates for the other approaches ranged from 4.24-7.58%. The performance of BotGrep is less on this scaled down 2000-node topology as compared to the earlier Abilene and CAIDA datasets, because our method of generating the scaled-down 2000 node graph selected the densely connected core of the graph, which is fast-mixing, while on more realistic graphs, it is easier for BotGrep to distinguish the fast-mixing botnet topology from the rest of the non-fast-mixing background graph.

Moreover, we found that run-time was a significant limiting factor in using these alternate approaches. For example, the Girvan-Newman Betweenness Algorithm took 2.5 hours to run on a graph containing 2000 nodes (in all cases, BotGrep runs in under 10.4 seconds on a Core2 Duo 2.83GHz machine with 4GB RAM using a single core). While these traditional techniques were not intended to scale to the large data sets we consider here, they may be appropriate for localizing smaller botnets in contained environments (e.g., within a single Honeynet, or the part of a botnet contained within an enterprise network). Since these techniques leverage different features of the inputs, they are synergistic with our approach, and may be used in conjunction with our technique to improve performance.

## 6 Discussion

As we have demonstrated, analysis of core Internet traffic can be effective at identifying nodes and communication links of structured overlay networks. However, many challenges remain to turn our approach into a full-

scale detection mechanism.

**Misuse Detection:** It is easy to see that other forms of P2P activity, such as file sharing networks, will also be identified by our techniques. While there is some benefit to being able to identify such traffic as well, it requires a dramatically different response than botnets and so it is important to distinguish the two. We believe that fundamentally, our mechanisms need to be integrated with detection mechanisms at the edge that identify suspicious behavior. Also, multiple intrusion detection approaches can reinforce each other and provide more accurate results [75, 67, 30]; e.g., misbehaving hosts that follow a similar misuse pattern and at the same time are detected to be part of the same botnet communication graph may be precisely labeled as a botnet, even if each individual misbehavior detection is not sufficient to provide a high-confidence categorization.

A concrete example of how misuse detection may work is the following: we randomly sample nodes from the suspect P2P network and compute the likelihood of the sampled nodes being malicious, based on inputs from honeynets, spam blacklists etc. If we can identify a statistically significant difference of the rates of misuse, then we can assume that membership in the P2P network is correlated with misuse and we should label it as a P2P botnet. Note that, given the availability of large sample sizes, even a small difference in the rates will be statistically significant, so this approach will be successful even if misuse detection fails to identify the vast majority of the botnet nodes as malicious.

**Scale and cooperation:** Our experiments show our design can scale to large traffic volumes, and in the presence of partial observations. However, several practical issues remain. First, large ISPs tend to use sampled data analysis to monitor their networks. This can miss low-volume control communications used by botnet networks. New counter architectures or programmable monitoring techniques should be used to collect sufficient statistics to run our algorithms [73]. Also, for best results multiple vantage points should contribute data to obtain a better overall perspective.

**Tradeoffs between structure and detection:** The communication structure of botnet graphs plays an important role in their delay penalty, and how resilient they are to network failures. At the same time, our results indicate



that the structure of the communication graph has some effect on the ability to detect the botnet host from a collection of vantage points. As part of future work, we plan to study the tradeoff between resilience and the ability to avoid detection, and whether there exist fundamentally hard-to-detect botnet structures that are also resilient.

**Containing botnets:** The ability to quickly localize structured network topologies may assist existing systems that monitor network traffic to quickly localize and contain bot-infected hosts. When botnets are detected in edge networks, the relevant machines are taken offline. However, this may not always be easy with in-core detection; an interesting question is whether in-core filtering or distributed blacklisting can be an effective response strategy when edge cooperation is not possible. Another question we plan to address is whether there exist responses that do not completely disconnect a node but mitigate its potential malicious activities, to be effected when a node is identified as a botnet member, but with a low confidence.

## 7 Related Work

The increasing criticality of the botnet threat has led to vast amounts of work that attempt to localize them. We can classify this work into host based approaches and network based approaches. Host based approaches detect intrusions by analyzing information available on a single host. On the other hand, network based approaches detect botnets by analyzing incoming and outgoing host traffic. Hybrid approaches exist as well. BotGrep (our work) is a network based approach to botnet detection that uses graph theory to detect botnets.

In the following section (Section 7.1) we review related work on network based approaches and then describe work on botnet detection using graph analysis (Section 7.2).

### 7.1 Network based approaches

Several pieces of work isolate bot-infected hosts by detecting the malicious traffic they send, which may be divided into schemes that analyze *attack traffic*, and schemes that analyze *control traffic*.

**Attack traffic:** For example, network operators may look for sources of denial of service attacks, port scanning, spam, and other unwanted traffic as a likely bot. These works focus on the symptoms caused by the botnets instead of the networks themselves. Several works seek to exploit DNS usage patterns. Dagon et al. [19] studied the propagation rates of malware released at different times by redirecting DNS traffic for bot domain names. Their use of DNS sinkholes is useful in mea-

suring new deployments of a known botnet. However, this approach requires a priori knowledge of botnet domain names and negotiations with DNS operators and hence does not target scaling to networks where a botnet can simply change domain names, have a large pool of C&C IP addresses and change the domain name generation algorithm by remotely patching the bot. Subsequently, Ramachandran et al. [61] use a graph based approach to isolate spam botnets by analyzing the pattern of requests to DNS blacklists maintained by ISPs. They observed that legitimate email servers request blacklist lookups and are looked up by other email servers according to the timing pattern of email arrival, while bot-infected machines are a lot less likely to be looked up by legitimate email servers. However, DNS blacklists and phishing blacklists [65], while initially effective have are becoming increasingly ineffective [60] owing to the agility of the attackers. Much more recently, Villamar et al. [74] applied Bayesian methods to isolate centralized botnets that use fast-flux to counter DNS blacklists, based on the similarity of their DNS traffic with a given corpus of known DNS botnet traces. Further, in order to study bots, Honeypot techniques have been widely used by researchers. Cooke et al. [17] conducted several studies of botnet propagation and dynamics using Honeypots; Barford and Yegneswaran [8] collected bot samples and carried out a detailed study on the source code of several families; finally, Freiling et al. [24] and Rajab et al. [59] carried out measurement studies using Honeypots. Collins et al. [16] present a novel botnet detection approach based on the tendency of unclean networks to contain compromised hosts for extended periods of time and hence acting as a *natural* Honeypot for various botnets. However Honeypot-based approaches are limited by their ability to attract botnets that depend on human action for an infection to take place, an increasingly popular aspect of the attack vector [51].

**Control traffic:** Another direction of work, is to localize botnets solely based on the control traffic they use to maintain their infrastructures. This line of work can be classified as *traffic-signature* based detection and *statistical traffic analysis* based detection. Techniques in the former category require traffic signatures to be developed for every botnet instance. This approach has been widely used in the detection of IRC-based botnets. Blinkley and Singh[10] combine IRC statistics and TCP work weight to generate signatures; Karasaridis et al. [44] present an algorithm to detect IRC C&C traffic signatures using Netflow records; Rishi [27] uses n-gram analysis to identify botnet nickname patterns. The limitations of these approaches are analogous to the scalability issues faced by host-based detection techniques. In addition, such signatures may not exist for P2P botnets. In the latter category, several works [31, 72, 9, 49] suggest that bot-

nets can be detected by analyzing their flow characteristics. In all these approaches, the authors use a variety of heuristics to characterize the network behavior of various applications and then apply clustering algorithms to isolate botnet traffic. These schemes assume that the statistical properties of bot traffic will be different from *normal* traffic because of synchronized or correlated behavior between bots. While this behavior is currently somewhat characteristic of botnets, it can be easily modified by botnet authors. As such it does not derive from the fundamental property of botnets.

Other works use a hybrid approach such as Bothunter [30] which automates traffic-signature generation by searching for a series of flows that match the infection life-cycle of a bot; BotMiner [29] combines packet statistics of C&C traffic with those of attack traffic and then applies clustering techniques to heuristically isolate botnet flows. TAMD [76] is another method that exploits the spatial and temporal characteristics of botnet traffic that emerges from multiple systems within a vantage point. They aggregate flows based on similarity of flow sizes and host configuration (such as OS platforms) and compare them with a historical baseline to detect infected hosts.

Finally, there are also schemes that combine network- and host-based approaches. The work of Stinson et al. [69] attempts to discriminate between locally-initiated versus remotely-initiated actions by tracking data arriving over the network being used as system call arguments using taint tracking methods. Following a similar approach, Gummadi et al. [33] whitelist application traffic by identifying and attesting human-generated traffic from a host which allows an application server to selectively respond to service requests. Finally, John et al. [40] present a technique to defend against spam botnets by automating the generation of spam feeds by directing an incoming spam feed into a Honeynet, then downloading bots spreading through those messages and then using the outbound spam generated to create a better feed. While all the above are interesting approaches they again deal with the side-effects of botnets instead of tackling the problem in its entirety in a scalable manner.

## 7.2 Graph-based approaches

Several works [15, 36, 35, 78, 38] have previously applied graph analysis to detect botnets. The technique of Collins and Reiter [15] detects anomalies induced in a graph of protocol specific flows by a botnet control traffic. They suggest that a botnet can be detected based on the observation that an attacker will increase the number of connected graph components due to a sudden growth of edges between unlikely neighboring nodes. While it depends on being able to accurately model valid network

growth, this is a powerful approach because it avoids depending on protocol semantics or packet statistics. However this work only makes minimal use of spatial relationship information. Additionally, the need for historical record keeping makes it challenging in scenarios where the victim network is already infected when it seeks help and hasn't stored past traffic data, while our scheme can be used to detect pre-existing botnets as well. Illiofotou et al. [36, 35] also exploit dynamicity of traffic graphs to classify network flows in order to detect P2P networks. It uses static (spatial) and dynamic (temporal) metrics centered on node and edge level metrics in addition to the largest-connected-component-size as a graph level metric. Our scheme however starts from first principles (searching for expanders) and uses the full extent of spatial relationships to discover P2P graphs including the joint degree distribution and the joint-joint degree distribution and so on.

Of the many botnet detection and mitigation techniques mentioned above, most are rather ad-hoc and only apply to specific scenarios of centralized botnets such as IRC/HTTP/FTP botnets, although studies [28] indicate that the centralized model is giving way to the P2P model. Of the techniques that do address P2P botnets, detection is again dependent on specifics regarding control traffic ports, network behavior of certain types of botnets, reverse engineering botnet protocols and so on, which limits the applicability of these techniques. Generic schemes such as BotMiner [29] and TAMD [76] using behavior based clustering are better off but need access to extensive flow information which can have legal and privacy implications. It is also important to think about possible defenses that botmasters can apply, the cost of these defenses and how they might affect the efficiency of detection. Shear and Nicol [64, 54] describe schemes to mask the statistical characteristics of real traffic by embedding it in synthetic, encrypted, cover traffic. The adoption of such schemes will only require minimal alterations to existing botnet architectures but can effectively defend against detection schemes that depend on packet level statistics including BotMiner and TAMD.

## 8 Conclusion

The ability to localize structured communication graphs within network traffic could be a significant step forward in identifying bots or traffic that violates network policy. As a first step in this direction, we proposed BotGrep, an inference algorithm that identifies botnet hosts and links within network traffic traces. BotGrep works by searching for structured topologies, and separating them from the background communication graph. We give an architecture for a BotGrep network deployment as well as a privacy-preserving extension to simplify deployment

across networks. While our techniques do not achieve perfect accuracy, they achieve a low enough false positive rate to be of substantial use, especially when combined with complementary techniques. There are several avenues of future work. First, performance of our approach may be improved by leveraging temporal information (observing how parts of the the communication graph change over time) to assist in separating out the botnet graph. In addition, it may be desirable to distinguish other peer-to-peer structure from other Internet background traffic, perhaps by observing more fine-grained properties of communication patterns. Finally, we do not attempt to address the challenging problem of botnet *response*. Future work may leverage our inferred botnet topologies by dropping crucial links to partition the botnet, based on the structure of the botnet graph.

## Acknowledgments

We would like to thank Vern Paxson and Christian Kreibich for sharing their Storm traces. We are also grateful to Reiner Sailer and Mihai Christodorescu for helpful discussions. This work is supported in part by National Science Foundation Grants CNS 06–27671 and CNS 08–31653.

## References

- [1] Botlab: A real-time botnet monitoring platform. [botlab.cs.washington.edu](http://botlab.cs.washington.edu).
- [2] Cisco IOS Netflow. [http://www.cisco.com/en/US/products/ps6601/products\\_ios\\_protocol\\_group\\_home.html](http://www.cisco.com/en/US/products/ps6601/products_ios_protocol_group_home.html).
- [3] Comcast constant guard. <http://security.comcast.net/constantguard/>.
- [4] Spamhaus. [www.spamhaus.org](http://www.spamhaus.org).
- [5] The Cooperative Association for Internet Data Analysis (CAIDA). <http://www.caida.org/>.
- [6] J. Aspnes and U. Wieder. The expansion and mixing time of skip graphs with applications. In *SPAA '05: Proceedings of the seventeenth annual ACM symposium on Parallelism in algorithms and architectures*, pages 126–134, New York, NY, USA, 2005. ACM Press.
- [7] M. Bailey, E. Cooke, F. Jahanian, N. Provos, K. Rosaen, and D. Watson. Data Reduction for the Scalable Automated Analysis of Distributed Darknet Traffic. In *Proceedings of IMC*, 2005.
- [8] P. Barford and V. Yegneswaran. An Inside Look at Botnets, volume 27 of *Advanced in Information Security*, chapter 8, pages 171–192. Springer, 2006.
- [9] A. Barsamian. Network characterization for botnet detection using statistical-behavioral methods. Masters thesis, Thayer School of Engineering, Dartmouth College, USA, June 2009.
- [10] J. R. Binkley and S. Singh. An algorithm for anomaly-based botnet detection. In *SRUTI'06: Proceedings of the 2nd conference on Steps to Reducing Unwanted Traffic on the Internet*, pages 7–7, Berkeley, CA, USA, 2006. USENIX Association.
- [11] N. Borisov. *Anonymous routing in structured peer-to-peer overlays*. PhD thesis, University of California at Berkeley, Berkeley, CA, USA, 2005.
- [12] M. Castro, P. Druschel, A. Ganesh, A. Rowstron, and D. S. Wallach. Secure routing for structured peer-to-peer overlay networks. *SIGOPS Oper. Syst. Rev.*, 36(SI):299–314, 2002.
- [13] D. Chaum. The dining cryptographers problem: unconditional sender and recipient untraceability. *J. Cryptol.*, 1(1):65–75, 1988.
- [14] A. Clauset, M. E. J. Newman, and C. Moore. Finding community structure in very large networks. *Physical Review E*, 70(6), 2004.
- [15] M. P. Collins and M. K. Reiter. Hit-list worm detection and bot identification in large networks using protocol graphs. In *RAID*, 2007.
- [16] M. P. Collins, T. J. Shimeall, S. Faber, J. Janies, R. Weaver, M. De Shon, and J. Kadane. Using uncleanness to predict future botnet addresses. In *IMC*, pages 93–104, New York, NY, USA, 2007. ACM.
- [17] E. Cooke and F. Jahanian. The zombie roundup: Understanding, detecting, and disrupting botnets. In *Steps to Reducing Unwanted Traffic on the Internet Workshop*, 2005.
- [18] E. D. Cristofaro and G. Tsudik. Practical private set intersection protocols. Cryptology ePrint Archive, Report 2009/491, 2009. <http://eprint.iacr.org/>.
- [19] D. Dagon, C. Zou, and W. Lee. Modeling botnet propagation using time zones. In *NDSS*, 2006.
- [20] I. Damgard and M. Jurik. A generalisation, a simplification and some applications of Paillier’s probabilistic public-key system. In *Public Key Cryptography*. Springer, 2001.
- [21] G. Danezis and P. Mittal. Sybilinifer: Detecting Sybil nodes using social networks. In *NDSS*, 2009.
- [22] S. Fortunato, V. Latora, and M. Marchiori. Method to find community structures based on information centrality. *Physical Review E*, 70(5), 2004.
- [23] J. Franklin, V. Paxson, A. Perrig, and S. Savage. An inquiry into the nature and causes of the wealth of internet miscreants. In *ACM conference on Computer and communications security*, pages 375–388, New York, NY, USA, 2007. ACM.
- [24] F. C. Freiling, T. Hoz, and G. Wichereski. Botnet tracking: Exploring a root-cause methodology to prevent distributed denial-of-service attacks. In *European Symposium on Research in Computer Security*, 2005.
- [25] M. Girvan and M. E. J. Newman. Community structure in social and biological networks. *Proceedings of the National Academy of Sciences of the United States of America*, 99(12), 2002.
- [26] C. Gkantsidis, M. Mihail, and A. Saberi. Random walks in peer-to-peer networks. In *IEEE INFOCOM*, 2004.
- [27] J. Goebel and T. Holz. Rishi: Identify bot contaminated hosts by IRC nickname evaluation. In *HotBots*, 2007.
- [28] J. B. Grizzard, V. Sharma, C. Nunnery, B. B. Kang, and D. Dagon. Peer-to-peer botnets: Overview and case study. In *HotBots*, 2007.
- [29] G. Gu, R. Perdisci, J. Zhang, and W. Lee. BotMiner: Clustering analysis of network traffic for protocol- and structure-independent botnet detection. In *Proceedings of the 17th USENIX Security Symposium (Security'08)*, 2008.
- [30] G. Gu, P. Porras, V. Yegneswaran, M. Fong, and W. Lee. BotHunter: Detecting malware infection through IDS-driven dialog correlation. In *USENIX Security Symposium*, 2007.
- [31] G. Gu, J. Zhang, and W. Lee. BotSniffer: Detecting botnet command and control channels in network traffic. In *Proceedings of the 15th Annual Network and Distributed System Security Symposium (NDSS'08)*, February 2008.
- [32] K. P. Gummadi, R. Gummadi, S. D. Gribble, S. Ratnasamy, S. Shenker, and I. Stoica. The impact of DHT routing geometry on resilience and proximity. In *Proceedings of ACM SIGCOMM 2003*, Aug. 2003.
- [33] R. Gummadi, H. Balakrishnan, P. Maniatis, and S. Ratnasamy. Not-a-Bot (NAB): Improving Service Availability in the Face of Botnet Attacks. In *NSDI 2009*, Boston, MA, April 2009.
- [34] W. K. Hastings. Monte carlo sampling methods using Markov chains and their applications. *Biometrika*, 57(1):97–109, April

- 1970.
- [35] M. Iliofotou, M. Faloutsos, and M. Mitzenmacher. Exploiting dynamicity in graph-based traffic analysis: Techniques and applications. In *ACM CoNext*, 2009.
  - [36] M. Iliofotou, P. Pappu, M. Faloutsos, M. Mitzenmacher, G. Varghese, and H. Kim. Graption: Automated detection of P2P applications using traffic dispersion graphs (TDGs). In *UC Riverside Technical Report, CS-2008-06080*, 2008.
  - [37] S. Jarecki and X. Liu. Efficient Oblivious Pseudorandom Function with Applications to Adaptive OT and Secure Computation of Set Intersection. In *Theory of Cryptography Conference*, pages 577–594. Springer, 2009.
  - [38] M. Jelasity and V. Bilicki. Towards automated detection of peer-to-peer botnets: On the limits of local approaches. In *USENIX Workshop on Large-Scale Exploits and Emergent Threats (LEET)*, 2009.
  - [39] M. Jelasity and V. Bilicki. Towards automated detection of peer-to-peer botnets: On the limits of local approaches. In *USENIX Workshop on Large-Scale Exploits and Emergent Threats (LEET)*, 2009.
  - [40] J. P. John, A. Moshchuk, S. D. Gribble, and A. Krishnamurthy. Studying spamming botnets using Botlab. In *NSDI*, 2009.
  - [41] M. Kaashoek and D. Karger. Koorde: A simple degree-optimal distributed hash table. In *IPTPS*, 2003.
  - [42] C. Kanich, C. Kreibich, K. Levchenko, B. Enright, G. Voelker, V. Paxson, and S. Savage. Spamalytics: An empirical analysis of spam marketing conversion. In *CCS*, Oct. 2008.
  - [43] R. Kannan, S. Vempala, and A. Vetta. On clusterings: Good, bad and spectral. *J. ACM*, 51(3):497–515, 2004.
  - [44] A. Karasiris, B. Rexroad, and D. Hoeflin. Wide-scale botnet detection and characterization. In *HotBots*, 2007.
  - [45] S. Kullback and R. A. Leibler. On information and sufficiency. *Annals of Mathematical Statistics*, 22:49–86, 1951.
  - [46] V. Latora and M. Marchiori. Economic small-world behavior in weighted networks. *The European Physical Journal B - Condensed Matter*, 32(2), 2002.
  - [47] S. Lloyd. Least squares quantization in PCM. *Information Theory, IEEE Transactions on*, 28(2):129–137, 1982.
  - [48] D. Loguinov, A. Kumar, V. Rai, and S. Ganesh. Graph-theoretic analysis of structured peer-to-peer systems: Routing distances and fault resilience. In *Proceedings of ACM SIGCOMM*, Aug. 2003.
  - [49] W. Lu, M. Tavallaei, and A. A. Ghorbani. Automatic discovery of botnet communities on large-scale communication networks. In *ASIACCS*, pages 1–10, New York, NY, USA, 2009. ACM.
  - [50] P. Maymounkov and D. Mazières. Kademlia: A peer-to-peer information system based on the xor metric. In *Proceedings of the 1st International Peer To Peer Systems Workshop*, 2002.
  - [51] S. Nagaraja and R. Anderson. The snooping dragon: social-malware surveillance of the tibetan movement. Technical Report UCAM-CL-TR-746, University of Cambridge, 2009.
  - [52] M. E. Newman and M. Girvan. Finding and evaluating community structure in networks. *Phys Rev E Stat Nonlin Soft Matter Phys*, 69(2 Pt 2), 2004.
  - [53] M. E. J. Newman. Finding community structure in networks using the eigenvectors of matrices. *Physical Review E*, 74(3), 2006.
  - [54] D. M. Nicol and N. Schear. Models of privacy preserving traffic tunneling. *Simulation*, 85(9):589–607, 2009.
  - [55] P. Paillier. Public-key cryptosystems based on composite degree residuosity classes. In *Eurocrypt*. Springer, 1999.
  - [56] D. Pelleg and A. W. Moore. X-means: Extending k-means with efficient estimation of the number of clusters. In *ICML '00: Proceedings of the Seventeenth International Conference on Machine Learning*, pages 727–734, San Francisco, CA, USA, 2000. Morgan Kaufmann Publishers Inc.
  - [57] P. Porras, H. Saidi, and V. Yegneswaran. A multi-perspective analysis of the Storm (Peacomm) worm. In *SRI Technical Report 10-01*, 2007.
  - [58] P. Porras, H. Saidi, and V. Yegneswaran. A foray into Conficker's logic and rendezvous points. In *2nd Usenix Workshop on Large-Scale Exploits and Emergent Threats (LEET '09)*, 2009.
  - [59] M. Rajab, J. Zarfoss, F. Monrose, and A. Terzis. A multifaceted approach to understanding the botnet phenomenon. In *Internet Measurement Conference*, 2006.
  - [60] A. Ramachandran, D. Dagon, and N. Feamster. Can DNS-based blacklists keep up with bots? In *CEAS*, 2006.
  - [61] A. Ramachandran, N. Feamster, and D. Dagon. Revealing botnet membership using dnsbl counter-intelligence. In *SRUTI: Proceedings of the 2nd conference on Steps to Reducing Unwanted Traffic on the Internet*, 2006.
  - [62] D. Randall. Rapidly mixing Markov chains with applications in computer science and physics. *Computing in Science and Engineering*, 8(2):30–41, 2006.
  - [63] Route views. <http://www.routeviews.org>.
  - [64] N. Schear and D. M. Nicol. Performance analysis of real traffic carried with encrypted cover flows. In *PADS*, pages 80–87, Washington, DC, USA, 2008. IEEE Computer Society.
  - [65] S. Sheng, B. Wardman, G. Warner, L. F. Cranor, J. Hong, and C. Zhang. An empirical analysis of phishing blacklists. In *CEAS*, 2009.
  - [66] A. Sinclair. Improved bounds for mixing rates of markov chains and multicommodity flow. *Combinatorics, Probability and Computing*, 1:351–370, 1992.
  - [67] E. Spafford and D. Zamboni. Intrusion detection using autonomous agents. *Computer Networks*, 34(4):547–570, 2000.
  - [68] L. Spitzner. The Honeynet Project: trapping the hackers. *Security & Privacy Magazine, IEEE*, 1(2):15–23, 2003.
  - [69] E. Stinson and J. C. Mitchell. Characterizing bots' remote control behavior. In *Botnet Detection*. 2008.
  - [70] I. Stoica, R. Morris, D. Karger, M. F. Kaashoek, and H. Balakrishnan. Chord: A scalable peer-to-peer lookup service for Internet applications. In *Proceedings of ACM SIGCOMM*, Aug. 2001.
  - [71] S. Stover, D. Dittrich, J. Hernandez, and S. Dietrich. Analysis of the Storm and Nugache trojans: P2P is here. *login*, 32(6), Dec. 2007.
  - [72] W. T. Strayer, D. E. Lapsley, R. Walsh, and C. Livadas. Botnet detection based on network behavior. In *Advances in Information Security*. 2008.
  - [73] G. Varghese and C. Ekan. The measurement manifesto. In *HotNets-II*, 2003.
  - [74] R. Villamarín-Salomón and J. C. Brustoloni. Bayesian bot detection based on dns traffic similarity. In *SAC '09: Proceedings of the 2009 ACM Symposium on Applied Computing*, pages 2035–2041, New York, NY, USA, 2009. ACM.
  - [75] G. White, E. Fisch, and U. Pooch. Cooperating security managers: a peer-based intrusion detection system. *IEEE Network*, 10(1):20–23, 1996.
  - [76] T.-F. Yen and M. K. Reiter. Traffic aggregation for malware detection. In *DIMVA '08: Proceedings of the 5th international conference on Detection of Intrusions and Malware, and Vulnerability Assessment*, pages 207–227, Berlin, Heidelberg, 2008. Springer-Verlag.
  - [77] Q. Zhao, J. Xu, and Z. Liu. Design of a novel statistics counter architecture with optimal space and time efficiency. In *ACM SIGMETRICS*, June 2006.
  - [78] Y. Zhao, Y. Xie, F. Yu, Q. Ke, Y. Yu, Y. Chen, and E. Gillum. Botgraph: Large scale spamming botnet detection. In *NSDI*, 2009.
  - [79] M. Zhong, K. Shen, and J. Seiferas. Non-uniform random membership management in peer-to-peer networks. In *INFOCOM*, pages volume 2, 1151–1161, 2005.